Including GOODD creative compating

the #1 magazine of computer applications and software

Graphics and Animation:

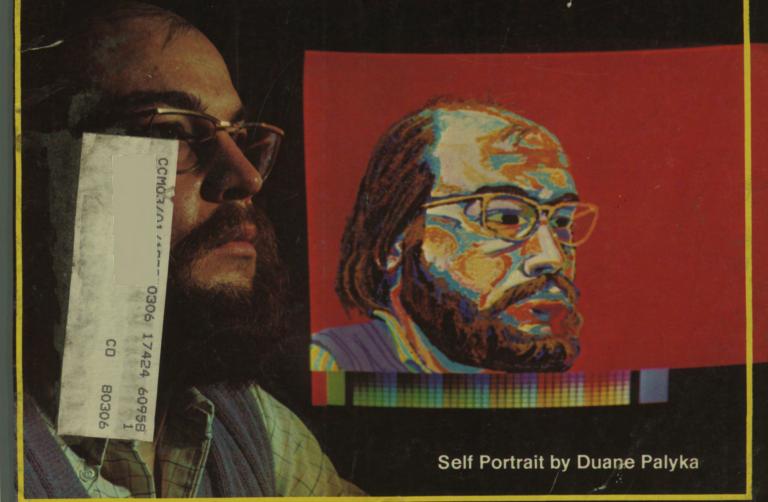
- Apple Picture Packer
- "Alien" Landing Sequence
- Colored Tapestries
- Pictures by Funny Numbers
- Atari Graphics Techniques
- TRS-80 Screen Displays
- Graphics for OSI
- The Computers of Hollywood
- Spectacular Graphics at NYIT

All About Digital Music Synthesis

Complete Listing of Android Nim

In-Depth Evaluations:

- Anadex DP9501 Printer
 - 80-Grafix Board
- Apple Graphics Utilities
- War Games and Fantasy Games
 - TC-8 Cassette System



Pictures by Funny Numbers

Frank Dietrich and Zsuzsa Molnar

What do pictures and numbers have in common? Nothing. Unless a computer is used to generate the pictures. Otherwise pictures and numbers live in two separate domains: the image being a concrete visual phenomenon, the number an abstract concept of order, counting or measuring.

Since computers deal quickly and efficiently with numbers, they can be used to calculate things like taxes and interest in a straightforward manner. Input is numeric anyway and if the right (not red) numbers appear as the output, the user is satisfied. In order to make images with this machine, one is forced to deal with numbers. Lots of them. The more efficient the computer, the more numbers it requires to be kept busy. Nice ways around this

Frank Dietrich and Zsuzsa Molnar, Electronic Visualization Program, Dept. of Information Engineering, School of Art, University of Illinois at Chicago Circle, Box 4348, Chicago, IL 60680.

greedy demand for numbers have been developed in paint programs, in which the user draws with the old-fashion but flexible pen on a tablet. The computer picks up the appropriate numbers according to the position of the pen. Or, a TV image is digitized and the machine assigns the digital numbers.

In both cases, pen drawing and digitizing, we face again the question we started with: how are numbers and images related? Once an image is in the machine, it is sitting there in the form of numbers, waiting to be processed. We decided to investigate concepts of combinatorics, which have fascinated people since the first minutes of mathematics.

The three concepts illustrated here, Vedic and Latin Squares and Permutations, require minimal input, but generate a large variety of change and harmony, two extremly valuable principles in imagemaking. Implemented on a microcomputer graphics system, the ZGrass UV-1, these number games brought about interesting visual results we'd like to share. In its toolbox of graphic commands, ZGrass provides four basic primitives: POINT, LINE, BOX (filled rectangle) and CIR-CLE (filled ellipse). All graphic commands need numerical information for the X and Y location as well as for the color option. Furthermore the width and height of boxes and circles has to be specified to turn bare numbers into visual beauty.

Vedic Squares

Our idea was to create pictures using sets of numbers which feature harmonic relations. The Vedic Square, a thousandyear-old number game, neatly fulfills these requirements. In the first row and column of a 9x9 square the numbers 1 through 9 are placed consecutively. All remaining numbers are computed by multiplying the values of the respective values of row by column. Each time the product exceeds 9, the number is reduced by forming the sum of the first and second digit, so that the Vedic Square contains only onedigit numbers. Astonishing patterns of numbers can be detected by further examining the square, now stored as a twodimensional array.

Capple

At last! The programs that have driven TRS-80 owners into oblivion are available for the Apple II and the Apple II Plus! Deathmaze 5000, Labyrinth, and the incredible Asylum are among the first full, 3-D perspective graphic adventures that take advantage of the advanced features of the Apple microcomputer!

These programs feature full upper/lower case text mixed with full-screen, hi-res graphics! Graphics generation is virtually instantaneous! None of these adventures can be solved in a single evening. Or even a single week!

What do we mean by 3-D perspective? We mean that you can actually see what you're doing and where you're going! And yes, extensive English language vocabularies are always available to the user!

SATISFACTION IS GUARANTEED!

We know that our claims may be hard to believe. If you are not satisfied with our products, we allow you to return the programs for a prompt and cheerful refund within 14 days of receiving them!

Med Systems Software P.O. Box 2674-P Chapel Hill, NC 27514 (919) 933-1990



"... truly one of the best adventure games by any criteria... it borders on the unbelievable. Believe it.

M.J.M., The Space Gamer

"This has got to be the most infuriating, irritating, aggravating, frustrating, angering, spellbinding game on the market." D.M., '80 Microcomputing

 Deathmaze 5000
 32K cassette
 \$ 12.95

 Labyrinth
 32K cassette
 \$ 12.95

 Asylum
 32K cassette
 \$ 14.95

DISKS: DOS 3.3, 48K required. Add § 4.00 to price for programs on diskette. All three on a single diskette, § 44.95. Tape versions include disk save option and can be saved to DOS 3.2 by the user.



Figure 1. Vedic Squares.

1	2	3	4	5	6	7	8	9
2	4	6	8	1	3	5	7	9
3	6	9	3	6	9	3	6	9
4	8	3	7	2	6	1	5	9
5	1	6	2	7	3	8	4	9
6	3	9	6	3	9	6	3	9
7	5	3	1	8	6	4	2	9
8	7	6	5	4	3	2	1	9
9	9	9	9	9	9	9	9	9

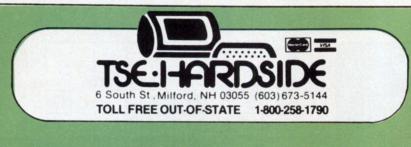
Figure 2.

The drawing program scans through the rows and columns, relates them to an XY-grid and plots boxes or circles on the TV screen. The size and amount of the graphics depend on the current magic number called from the Vedic square, thus forming subtly symmetical images. (See Figure 1.) Since the righthand bottom lines of the square consist only of 9's, we decided to ignore them, leaving an 8x8 drawing square. (See Figure 2.)





JUNE 1981 103





Mod-III, 16K RAM (#26-1062)				.\$919.00
Mod-III, 48K RAM (#26-1062+) .	ì			.\$999.00
Mod-III, 48K, 2-drives,				
RS-232-C(#26-1063)			,	\$2299.00
Color Comp, 4K RAM (#26-3001)		i		. \$359.00

Color Comp,	16K RAM (26-3001+)	\$399.00
Color Comp, Color Comp,	16K Ext Bas	ic (#26-3002) .	\$529.00
Color Comp, Pocket Comp			

ATARI COMPUTERS

ATARI	400,	8K RAM	(#36-400)				\$439.00
ATARI	400,	16K RAM	(#36-401).		i.		\$499.00
ATARI	400,	32K RAM	(#36-402).		è		\$629.00

ATARI	800,	16K	RAM	(#36-800).		.\$829.00
ATARI	800,	32K I	RAM	(#36-801).		. \$949.00
						\$1019 00

APPLE COMPUTERS

APPLE-II PLUS, 48K RAM (#47-203) . \$1299.00



TERMS: Prices and specifications are subject to change. HARDSIDE accepts VISA & MASTERCARD. Certified checks and Money Orders; Personal checks accepted (takes 3 weeks to clear). HARDSIDE Pays all shipping charges (within the 48 states) on all PREPAID orders OVER \$100.00. On all orders under \$100 a \$2.50 handling charge must be added. COD orders accepted (orders over \$250 require 25% deposit) there is a \$5.00 handling charge. UPS Blue Label, and Air Freight available at extra cost. TRS-80 is a trademark of Tandy Corp.

CIRCLE 180 ON READER SERVICE CARD

Funny Numbers, continued...

Magic Squares

To the Hindus these numbers revealed hidden secrets of life and time. The Arabs used Magic Squares to represent the astrological constellation of the stars. The numbers are arranged so that the sum of each row or column or diagonal is always the same. Three pictures based on a 4x4 Magic Square, the square of Jupiter, are shown in Figure 3. They are drawn with the method described above for the Vedic Square. In the second, the decision to draw a box or a circle depended on whether the Magic Number was even or odd. For the third image the center of the circles shifted to the right each time a smaller one was overlaid.

Other interesting types of squares are the Latin Squares. (See Figure 4.) These are NxN squares filled with numbers ranging from 1 to N in a way that each number is placed only once in a particular row or column. This feature guarantees an equal distribution of numbers, which is why Latin Squares are commonly used in statistics. An initial sequence of random numbers provides all the necessary information to compute the entire square. Once the square is computed and stored as a lookup table, its numbers are called by a drawing routine. This time the numbers specify four different graphic events: First, the size of the boxes and how many are drawn for each number. Even numbers direct the center of the boxes diagonally downwards, odd numbers direct them upwards. Finally, the color depends on whether a number is smaller, equal to or larger than the median of the set. As the images in Figure 3 demonstrate, each Latin Square forms different distributions of the graphic primitives, each exhibiting an internal harmony as well as a visible relation to all the other squares of the same set of numbers.

Permutations

The mathematics of permutation cycles a basic set of numbers through all of its possible variations. N enumerates the number of permutations or arrangements possible, where N defines the number of elements in the set, as well as setting the range of each individual element of the set from 0 to N. Here is the permutational path of a four element set:

0000

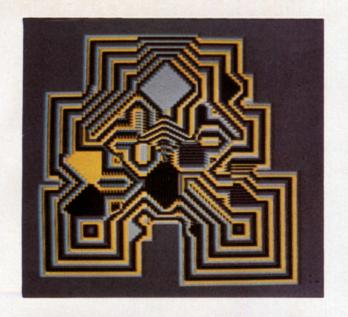
0002

0003

0010

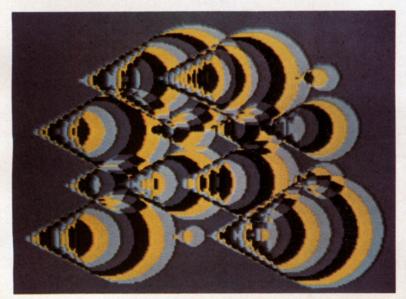
0 0 1 1....until the 4 numbers produce 256 combinations.

Combining permutations with pictures, we can systematically explore how many pictures exist in one single composition. In the ZGrass language a complex userbuilt pattern can be defined by a high powered primitive, the SNAP. Once a SNAPped picture is given a name, it is











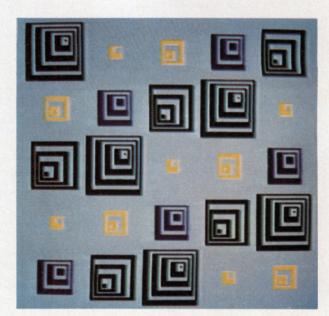
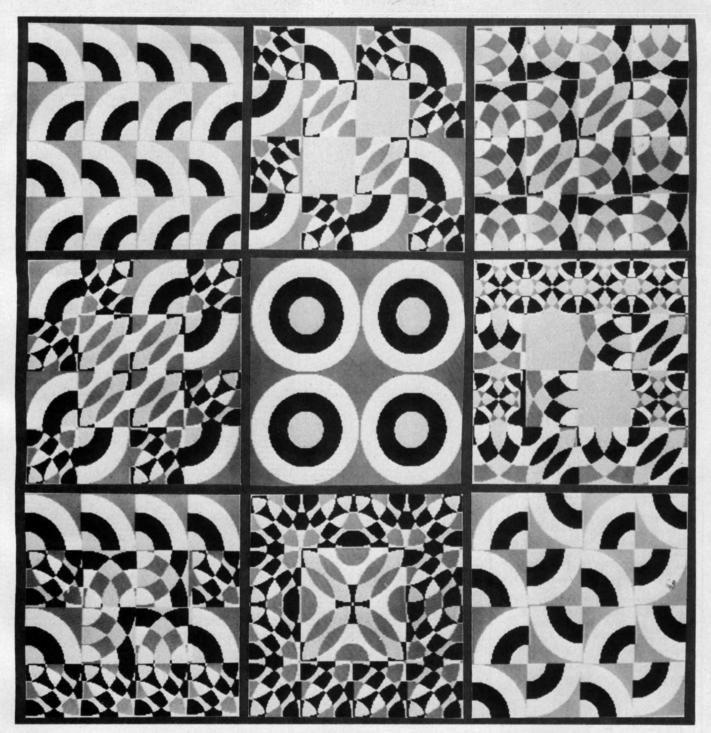


Figure 4. Latin Squares.

These Latin Squares show the initial distribution of numbers to produce the graphic representation in Figure 4.

51234	51234
45123	23451
34512	45123
23451	12345
12345	34512

Figure 3. 4 by 4 Magic Squares.



stored as one shape in the frame buffer and can be quickly thrown onto the screen. Permutation triggers the rapid animation of a sequence of these image tiles. Each frame draws in two seconds.

The basic circle image in the center of Figure 5 generates all the other patterns. It is fragmented into quarters, each of which is given a name: PIC0, PIC1, PIC2, PIC3. These four modules form the image data bank. As the permutation program cycles through the numerical variations, the permutation is applied to the name of the picture. Specified pictures are pulled out of the data bank and recombined to

form a new image, which is popped on the screen in four-fold symmetry.

Some of the pictures are simply drawn variations of the initial image. The additional complexity and interconnections of other drawings is achieved by using one of ZGrass' fancier drawing modes, the "EXCLUSIVE-OR."

These concepts of Magic Squares and Permutation are so general, that they could be used to produce new pictures on any system. We look forward to getting feedback from readers who feel encouraged to give it a try, wandering off into other stimulating regions of Pixelland.

Figure 5. Permutations.

Resources

Magic Squares:

The Language of Pattern, Keith Albarn et al. Thames and Hudson, London & NY 1974.

Magic Squares and Cubes, W.S. Andrews, Dover, N.Y.

Permutation:

The Sense of Order, E.H. Gombrich, Cornell University Press, Ithaca, N.Y., 1979.

ZGrass:

"Language Control Structures for Easy Electronic Visualization," Tom DeFanti, *Byte*, Nov. 1980, Vol. 5, No. 11.